

1. CSL 이란 orientation을 가진 g^{hkl} 이 무언이 격자가 일치하면서
 다른 $h'k'l'$ 이 같은 값에 대해 상이한 값이 (나타)는 경우이다.

이 때 degree of fit 은 same domain 이면 1, 격자점이 일치하면 도가 맞으면 다
 이 때 degree of fit 은 다른 값으로 정의된다.

$$\left(\frac{\text{number of coincidence}}{\text{number of total lattice}} \right) \text{ in elementary cell}$$

2

$$\frac{X_i^\beta}{X_n^\beta} = \frac{X_i^\beta}{X_n^\beta} e^{-\frac{\sigma G_i^{j\beta}}{kT}}$$

$$X_i^\beta = \frac{X_i^\beta}{X_n^\beta} X_n^\beta e^{-\frac{\sigma G_i^{j\beta}}{kT}}, \quad \sum_{i=1}^{n-1} X_i^\beta X_n^\beta + X_n^\beta X_n^\beta = \sum_{j=1}^{n-1} X_j^\beta X_n^\beta e^{-\frac{\sigma G_j^{j\beta}}{kT}}$$

$$\frac{X_n^\beta \left(\sum_{i=1}^{n-1} X_i^\beta + X_n^\beta \right)}{X_n^\beta \left(\sum_{j=1}^{n-1} X_j^\beta e^{-\frac{\sigma G_j^{j\beta}}{kT}} + X_n^\beta \right)} = 1 \Rightarrow \frac{X_n^\beta}{X_n^\beta} = \frac{\sum_{i=1}^{n-1} X_i^\beta + X_n^\beta}{\sum_{j=1}^{n-1} X_j^\beta e^{-\frac{\sigma G_j^{j\beta}}{kT}} + X_n^\beta}$$

cancellation

$$\frac{X_n^\beta}{X_n^\beta \left(\sum_{j=1}^{n-1} X_j^\beta (e^{-\frac{\sigma G_j^{j\beta}}{kT}} - 1) + \sum_{j=1}^{n-1} X_j^\beta + X_n^\beta \right)}$$

$$= \frac{1}{\sum_{j=1}^{n-1} X_j^\beta (e^{-\frac{\sigma G_j^{j\beta}}{kT}} - 1) + 1}$$

$$\frac{X_i^\beta}{X_n^\beta} = \frac{X_n^\beta}{X_n^\beta} \frac{X_i^\beta e^{-\frac{\sigma G_i^{j\beta}}{kT}}}{\sum_{j=1}^{n-1} X_j^\beta e^{-\frac{\sigma G_j^{j\beta}}{kT}} + X_n^\beta}$$

$$= \frac{X_i^\beta e^{-\frac{\sigma G_i^{j\beta}}{kT}}}{1 + \sum_{j=1}^{n-1} X_j^\beta (e^{-\frac{\sigma G_j^{j\beta}}{kT}} - 1)}$$