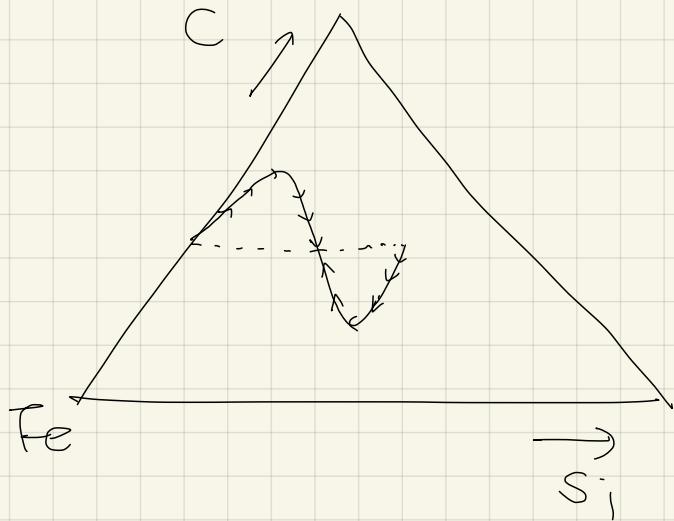
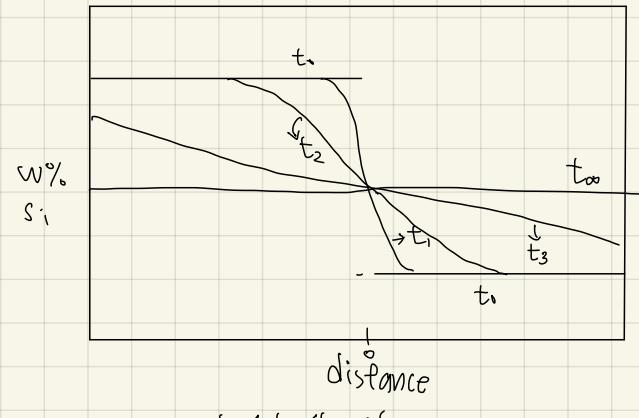
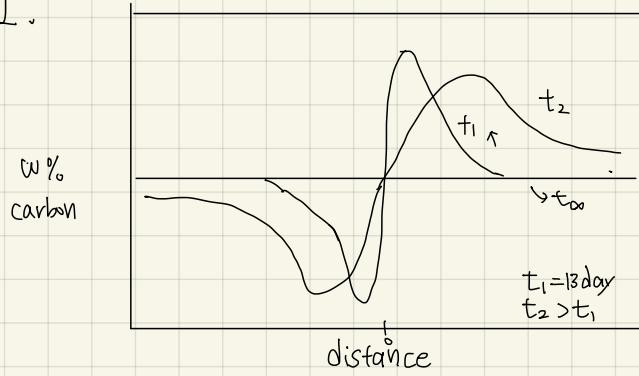


1.



At longer times  
→ lack of discontinuity

2. (1) diffusion coefficient in 1173 K

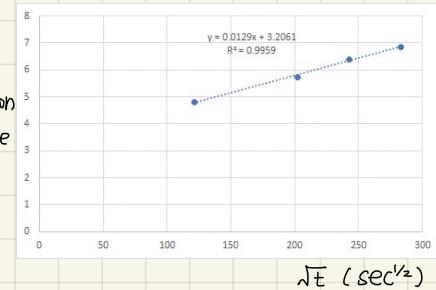
R : 8.314

$$4.529 \times 10^{-7} \times \exp[-147723 / RT]$$

$$\approx 1.195 \times 10^{-13} \text{ m}^2/\text{s} = 1.195 \times 10^{-9} \text{ cm}^2/\text{s}$$

(cm)

t	injection distance
5182.448057	23
10364.89612	33
15547.34417	41
20729.79223	47



(injection distance)  $\propto \sqrt{t}$  인 것을 알수 있다.

(2)

diffusion coefficient in 1173 K :  $1.195 \times 10^{-9} \text{ cm}^2/\text{s}$

in 1273 K :  $3.929 \times 10^{-9} \text{ cm}^2/\text{s}$

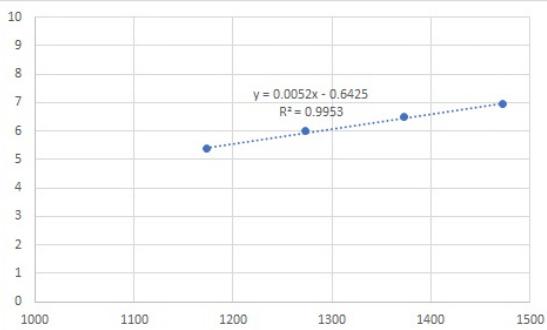
in 1373 K :  $1.086 \times 10^{-8} \text{ cm}^2/\text{s}$

in 1473 K :  $2.614 \times 10^{-8} \text{ cm}^2/\text{s}$

$$t = 3 \text{ hr}$$

T	injection distance	ln((injection distance))
1173	33	3.496507561
1273	61	4.110873864
1373	120	4.787491743
1473	159	5.068904202

ln(injection  
distance))



ln (injection distance)  $\propto T$  인 것을 알수 있다

T

$$(3) \quad x = \sqrt{Dt} \quad (x: \text{diffusion distance})$$

$$D = D_0 \exp \frac{-Q}{RT} \quad (Q: \text{activation energy})$$

$$x^2 = D_0 t \exp \left( -\frac{Q}{RT} \right)$$

$$\ln x^2 = \ln(D_0 t) - \frac{Q}{RT}$$

$$\ln x_1^2 = \ln(D_0 t) - \frac{Q}{RT_1}$$

$$\ln x_2^2 = \ln(D_0 t) - \frac{Q}{RT_2}$$

$$2 \ln \frac{x_1}{x_2} = \frac{Q}{R} \left( \frac{1}{T_2} - \frac{1}{T_1} \right)$$

$T_1 = 1173K, T_2 = 1273K$  때

$$Q = 2 \ln \left( \frac{x_1}{x_2} \right) R \cdot \frac{1}{\left( \frac{1}{T_2} - \frac{1}{T_1} \right)} = 2 \ln \left( \frac{33}{61} \right) \times 8.314 \times \frac{1}{\frac{1}{1273} - \frac{1}{1173}} = 152543 J$$

주어진  $Q : 141123J$ , 계산된  $Q : 152543J \rightarrow 10\% \text{ 이내의 차이}$